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 $T_{1}, a, a, c_{m}, a, a_{m}, a_{m}$



北京能源集团有限责任公司



Beijing Energy Holding Co., Ltd.* $(A_{\mu,ab}, \frac{1}{2}, ab_{\mu}, Bc_{ab} a B, c_{\mu}, a, \frac{1}{2}, \dots, P_{\mu,\mu} \in R, r, b, c \in C, a)$

CHINA SECURITIES INTERNATIONAL

Beijing Jingneng Clean Energy Co., Limited 北京京能清潔能源電力股份有限公司 (A joint stock company incorporated in the People's Republic of China with limited liability)

(Stock Code: 00579)

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(a) $\begin{array}{c} ab_{1} \\ D_{1} \\ c \\ $			
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